

Interest Compounded Annually

$$A = P(1 + r)^n$$

Interest Compounded k Times per Year

$$A = P \left(1 + \frac{r}{k} \right)^{kt}$$

Compounded Continuously

$$\lim_{k \rightarrow \infty} \left(1 + \frac{r}{k} \right)^k$$

$$A = Pe^{rt}$$

1. Find the amount **A** accumulated after investing a principal **P** for **t** years at an interest rate **r** compounded annually.
 $P = \$15,500$
 $r = 9.5\%$
 $t = 12$

2. Find the amount **A** accumulated after investing a principal **P** for **t** years at an interest rate **r** compounded **k** times per year.

$$P = \$25,300$$

$$r = 4.5\%$$

$$t = 25$$

$$k = 12$$

3. Find the amount **A** accumulated after investing a principal **P** for **t** years at an interest rate **r** compounded continuously.

$$P = \$8,875$$

$$r = 4.4\%$$

$$t = 25$$

Annual Percent Yield (APY)

comparing compounded k times a year to compounded annually

4. Find the annual percentage yield (APY) for \$8,000 at 5.75% compounded daily.

Future Value of an Annuity (Savings)

$$FV = R \frac{(1+i)^n - 1}{i}$$

5. Find the future value **FV** accumulated in an annuity after investing periodic payments **R** for **t** years at an annual interest rate **r** , with payments made and interest credited **k** times per year.

$$R = \$610$$

$$r = 6.5\%$$

$$t = 25$$

$$k = 12$$

Present Value of an Annuity (Loan)

$$FV = R \frac{(1+i)^n - 1}{i}$$

6. Find the present value **PV** of a loan with an annual interest rate **r** and periodic payments **R** for **t** years with payments made **k** times per year.

$$\mathbf{R} = \$1856.82$$

$$\mathbf{r} = 6.5\%$$

$$\mathbf{t} = 30$$

$$\mathbf{k} = 12$$